

# The Galactic habitable zone with detailed chemical evolution models

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# Outline

- The Galactic habitable zone
- The GHZ model of Spitoni et al. (2014)
- The GHZ using chemical evolution models
- Results
- Summary

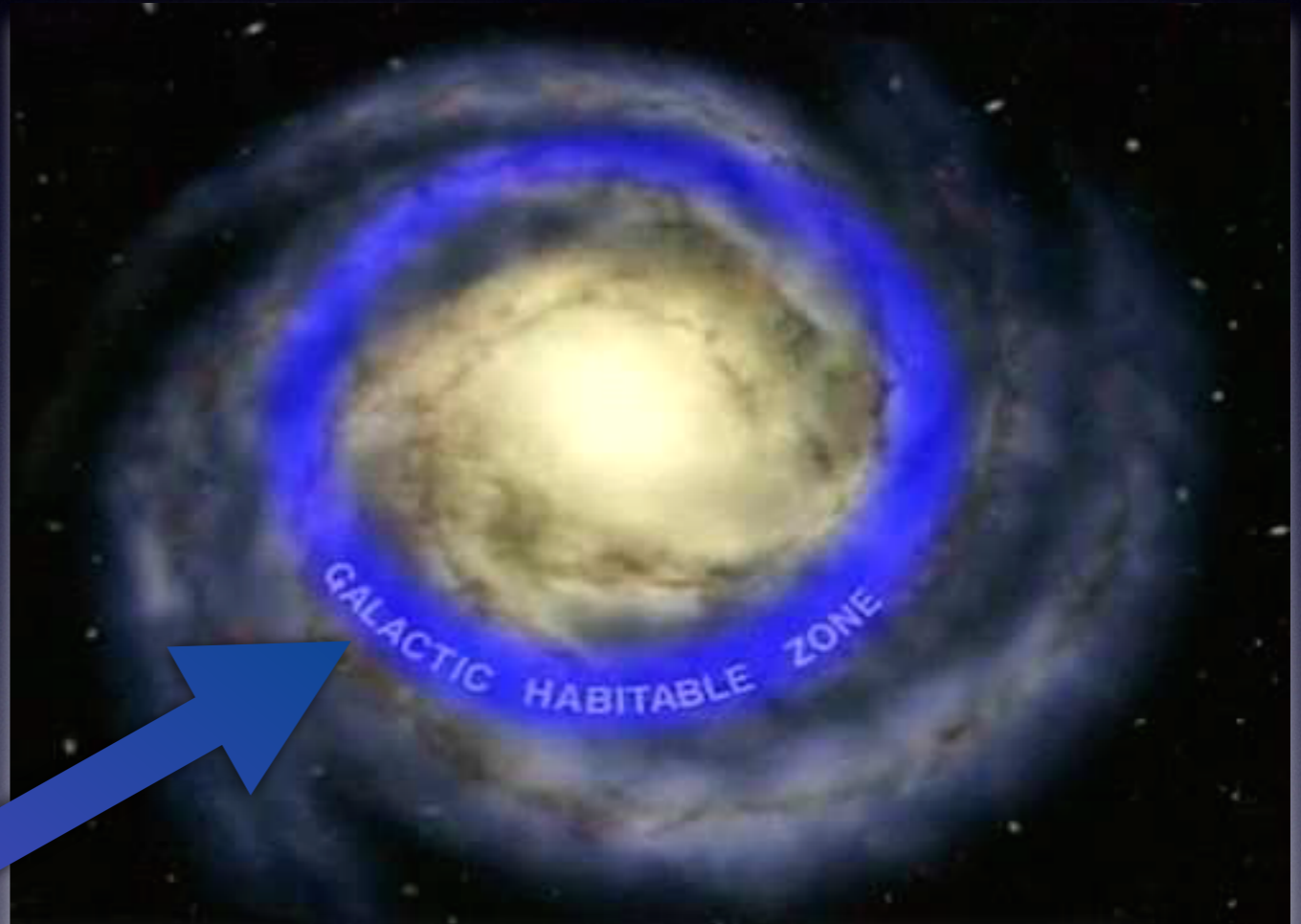
# The Galactic habitable zone

THE GALACTIC HABITABLE ZONE is defined as the region with sufficiently high metallicity to form planetary systems in which Earth-like planets could be born and might be capable of sustaining life, after surviving to close **supernova explosion** events (Gonzalez et al. 2001).



# The Galactic habitable zone

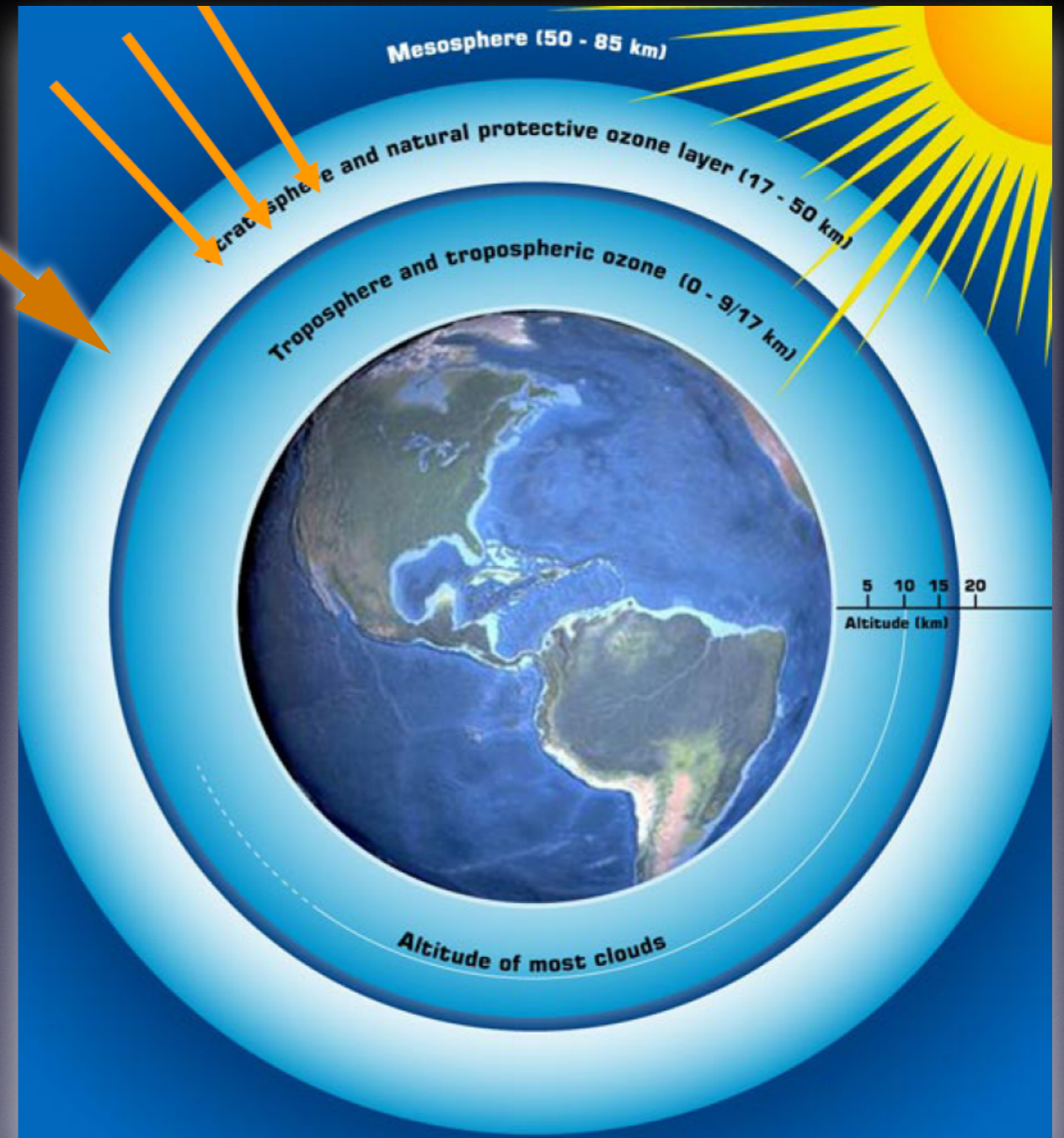
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Lineweaver et al. (2004) identified the GHZ as an annular region between 7 and 9 kpc

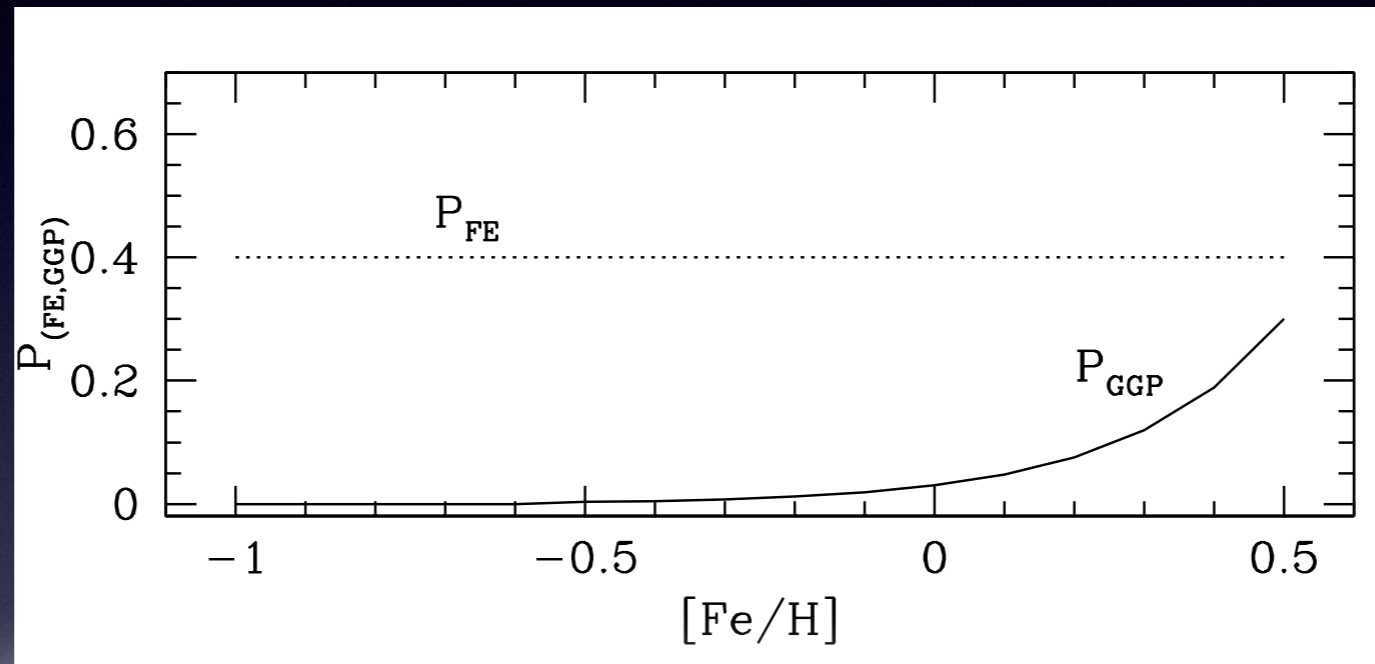
When a SN explodes, it emits **STRONG RADIATION** that may ionize the planets atmosphere, causing stratospheric ozone depletion.

Then **ULTRAVIOLET FLUX** from the planets host star reaches the surface and oceans, originating damage to genetic material DNA, which could induce mutation or cell death, and consequently the planet sterilization (Gehrels et al. 2003).



The Galactic habitable  
zone model in Spitoni  
et al. (2014)

# The probability of forming Earth-like planets (following Prantzos 2008 prescriptions)



$P_{FE}$ : Earth-like planets  
 $P_{GGP}$ : gas giant planets

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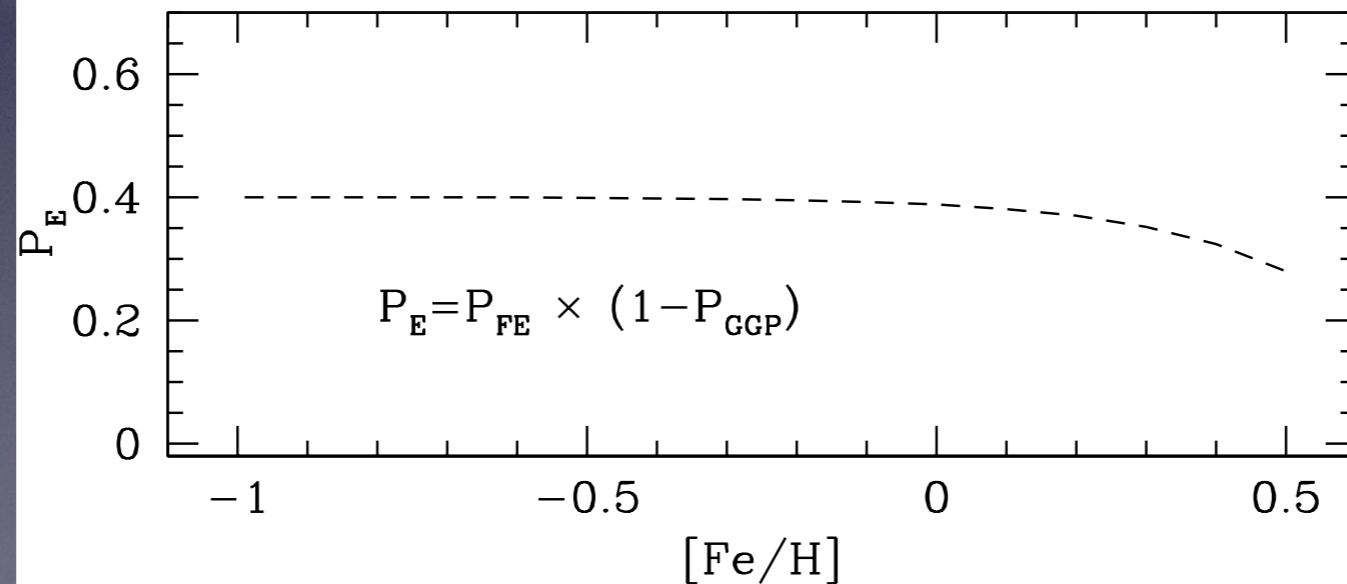
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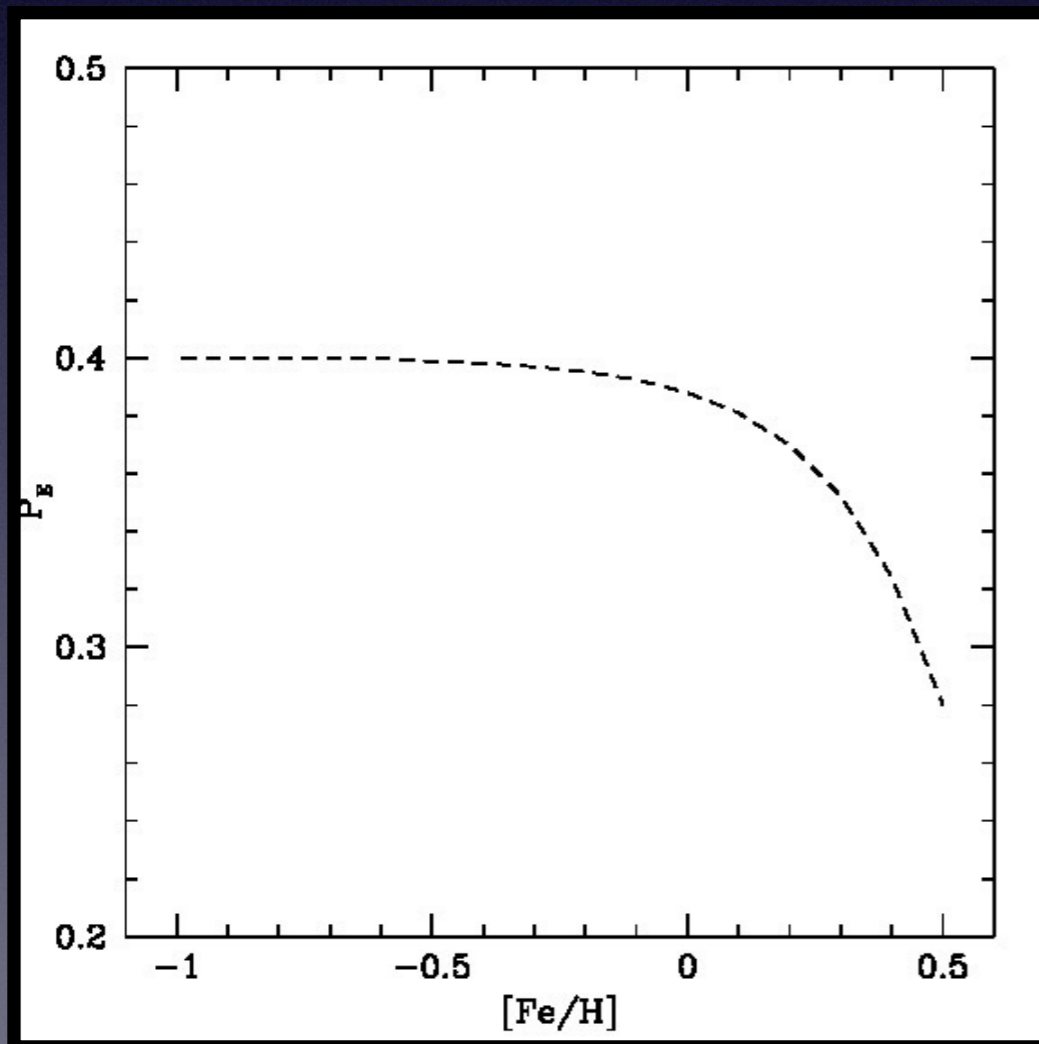


The fraction of all stars having Earths (but no gas giant planets) which survived supernova explosions as a function of the galactic radius is defined as following (Prantzos 2008):

$$P_{GHZ}(R, t) = \frac{\int_0^t SFR(R, t') P_E(R, t') P_{SN}(R, t') dt'}{\int_0^t SFR(R, t') dt'}$$

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# The probability $P_{SN}(R', t')$ of surviving SN explosions

We define  $\langle RSN^* \rangle$  as the average SN rate in the solar neighbourhood during the last 4.5 Gyr of the Milky Way's life (Carigi et al. 2013).

$$\langle RSN^* \rangle = 0.013 \text{ Gyr}^{-1} \text{ pc}^{-2} \quad (\text{ES \& Matteucci 2011})$$

if  $SNR > 2 \langle RSN^* \rangle$   
then

$$P_{SN} = 0 \text{ else}$$

$$P_{SN} = 1$$

# The Chemical evolution models



# The Chemical evolution models



SFR

# The Chemical evolution models



SFR

The diagram consists of two overlapping ovals. The top oval is light blue with a dark blue border and contains the text 'SFR'. The bottom oval is light green with a dark green border and contains the text '[Fe/H]'. The ovals overlap in the center.

[Fe/H]

# The Chemical evolution models

SFR

[Fe/H]

SN rate

# The Chemical evolution models

SFR

[Fe/H]

SN rate



N<sub>★</sub>

# The Chemical evolution models

SFR



$N_{\star}$

[Fe/H]

SN rate

$N_{\star}$ life

# CHEMICAL EVOLUTION MODELS FOR THE MW DISK

- **Two Infall model**  $A(r, t) = a(r)e^{-t/\tau_H(r)} + b(r)e^{-(t-t_{max})/\tau_D(r)}$
- **Inside-out formation**  $\tau_D(r) = 1.033r - 1.27 \text{ Gyr}$
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## I) MODEL WITHOUT RADIAL GAS FLOWS

Spitoni & Matteucci (2011)

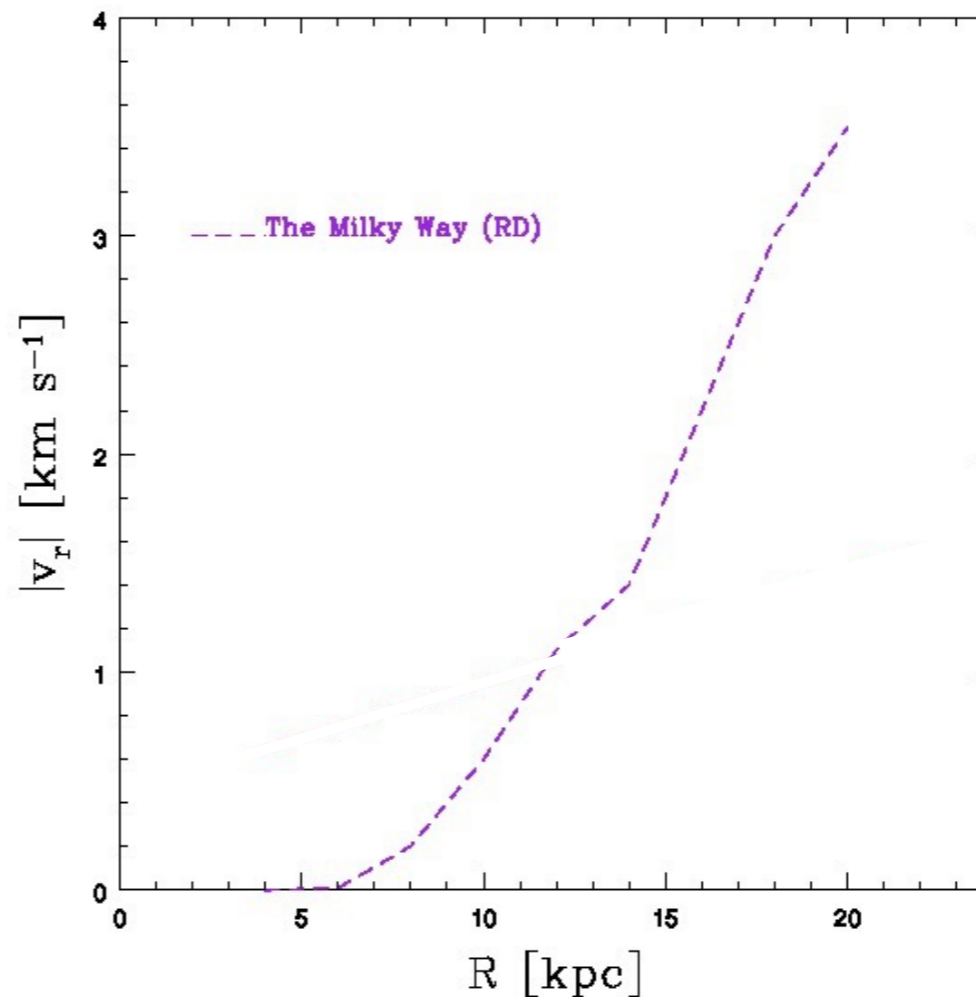
- Threshold in gas density for the SF

# CHEMICAL EVOLUTION MODELS FOR THE MW DISK

## MODEL WITH RADIAL GAS FLOWS (Mott et al. 2013)

II)

- No threshold in gas density for the SF



- Radial inflow of gas, with velocity pattern in agreement with theoretical works of Lacey & Fall (1985), Schoenrich & Binney (2009).

$n_{ax})/\tau_D(r)$

yr

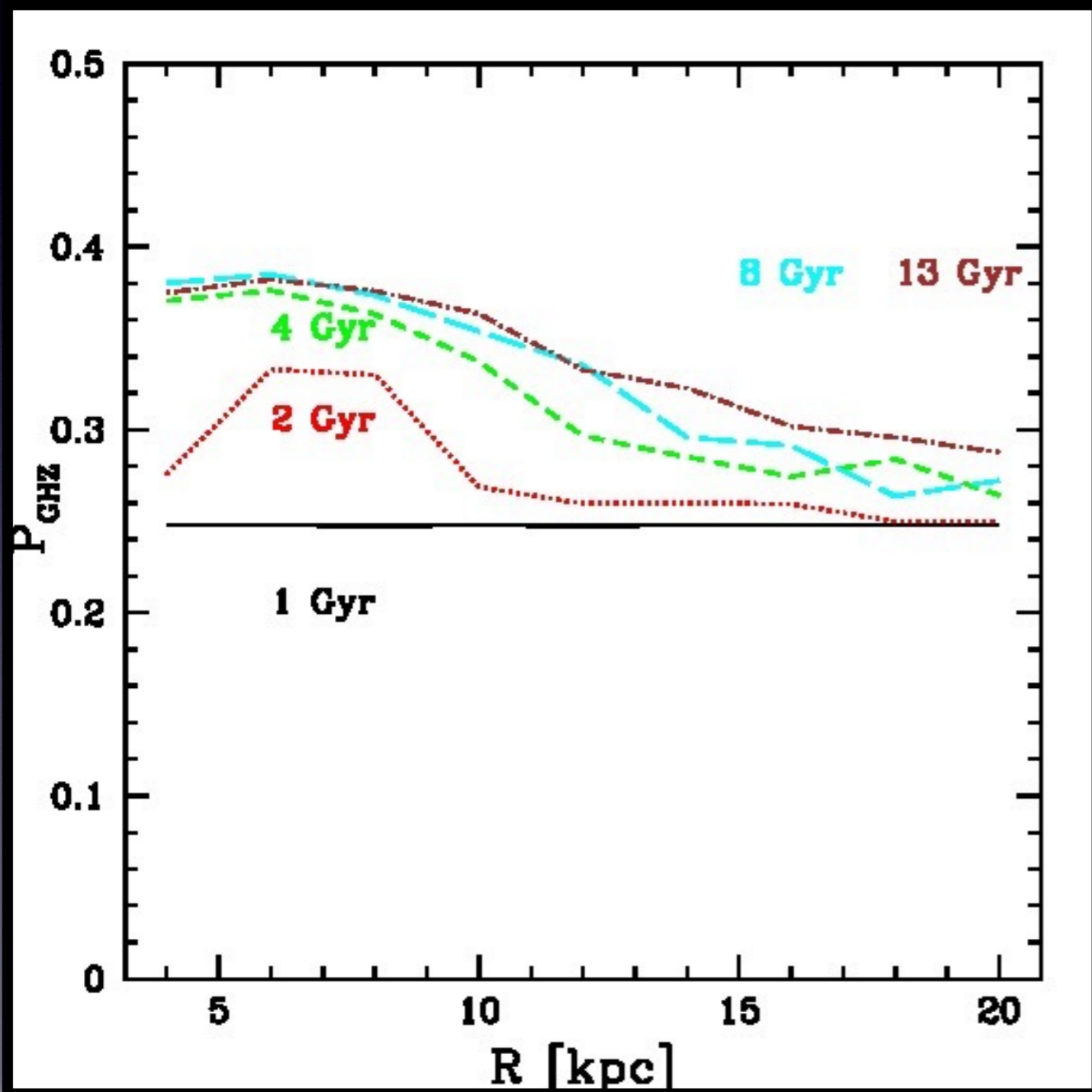


# GHZ RESULTS I)

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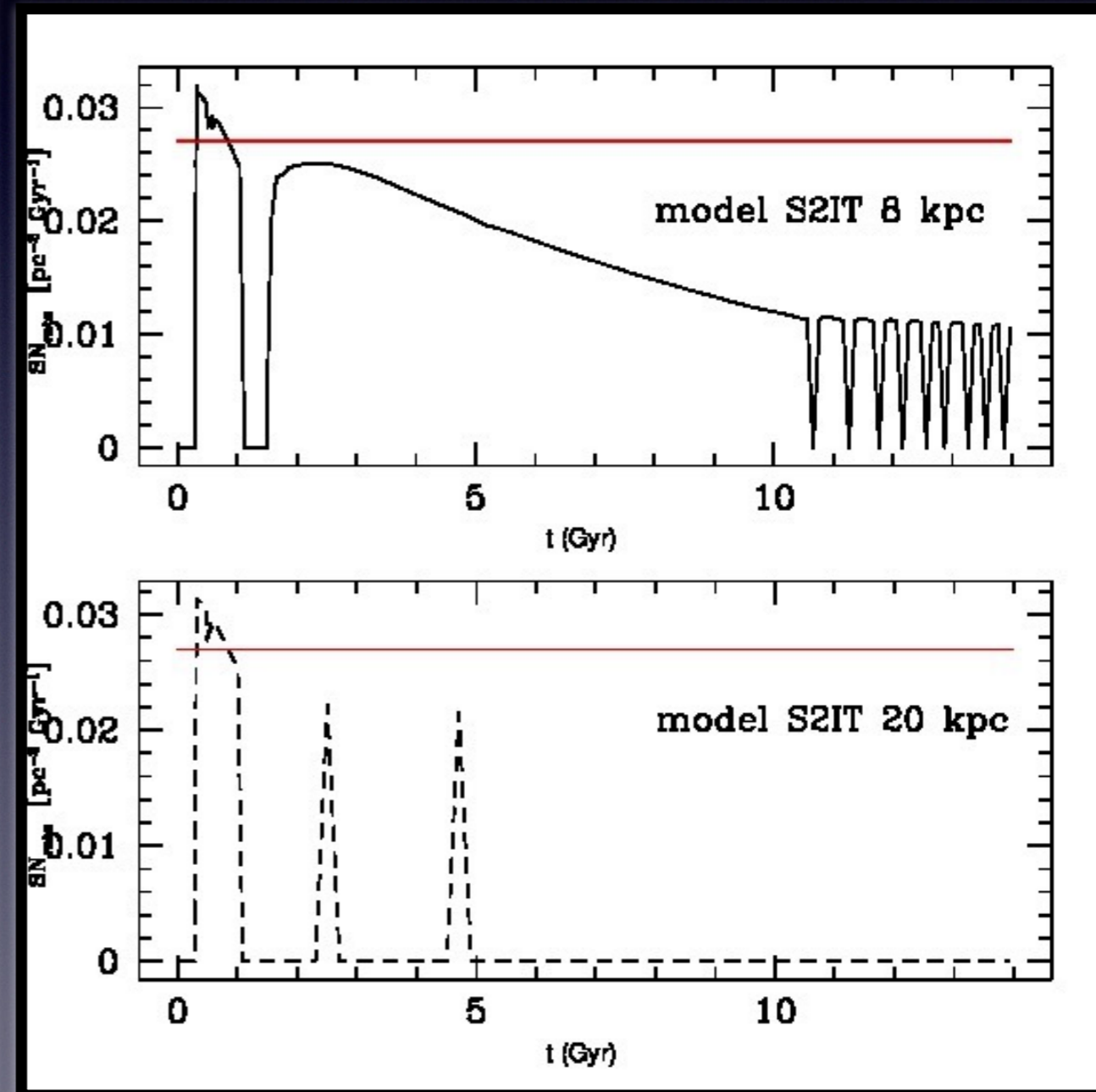
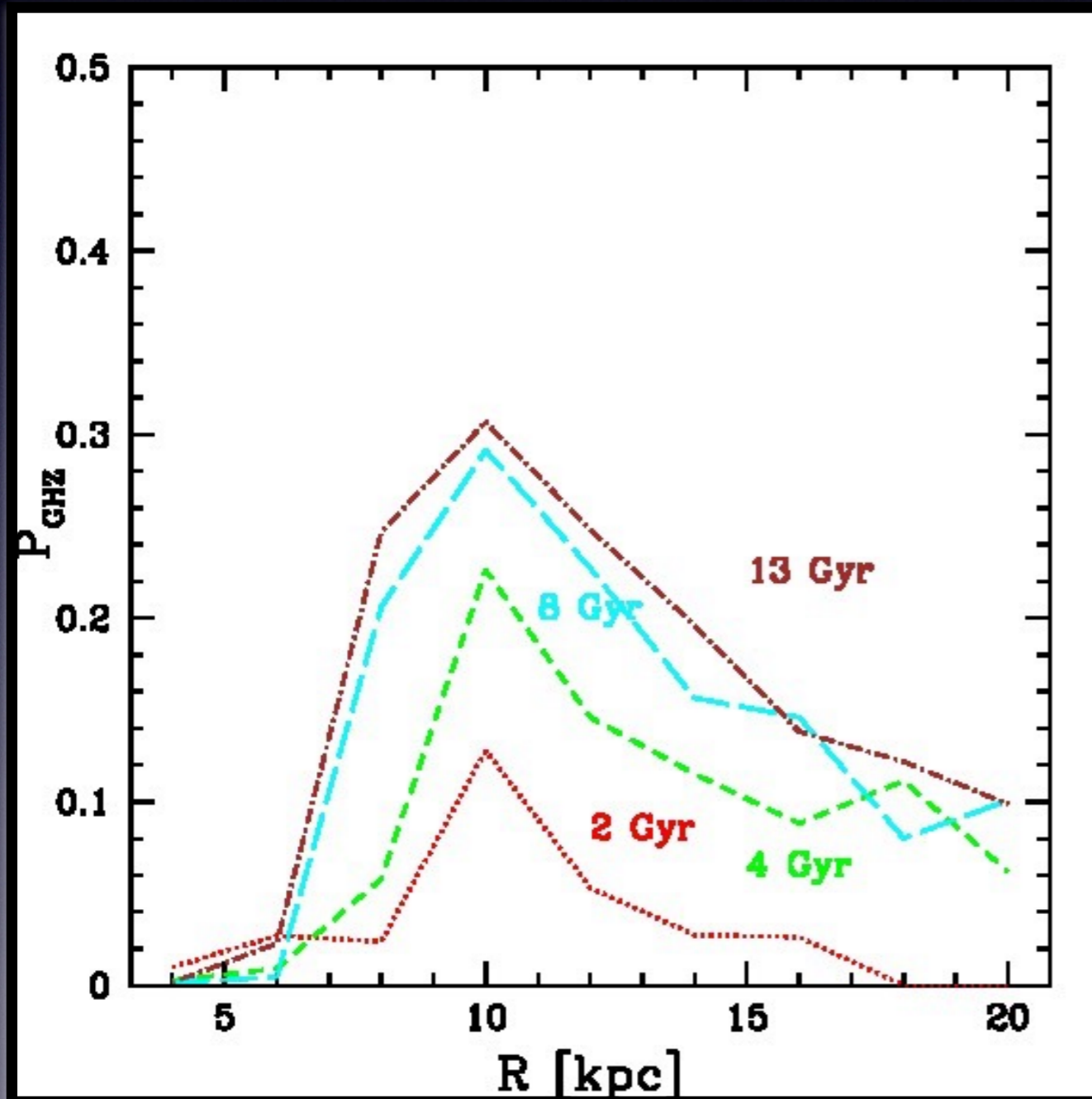
Chemical evolution models  
without radial gas flows

The  $P_{\text{GHz}}$  quantity for the model without radial gas flows



Model without  
SN destruction  
effects

# The $P_{\text{GHz}}$ quantity for the model without radial gas flows

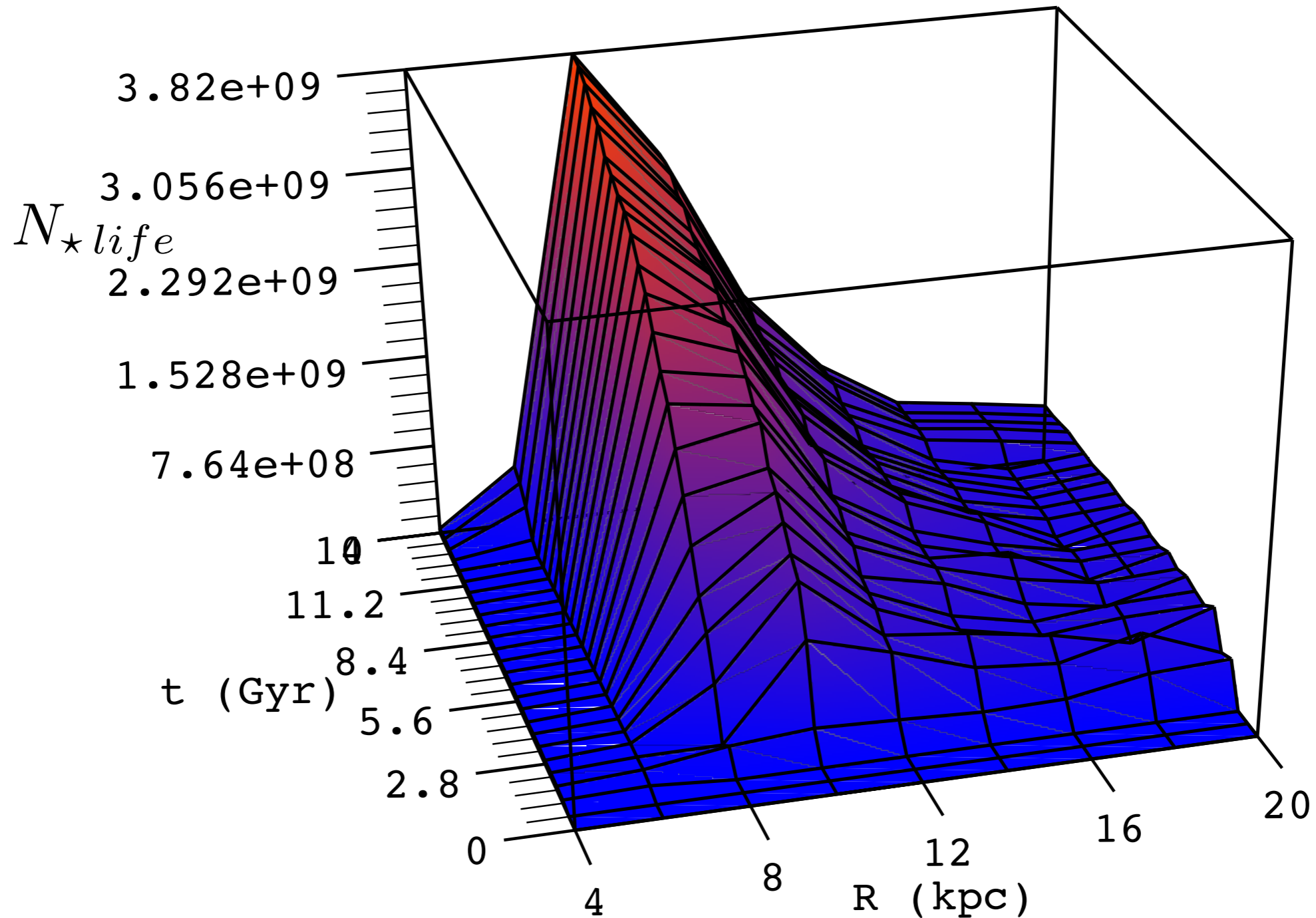


The total number of stars  
with habitable Earth-size  
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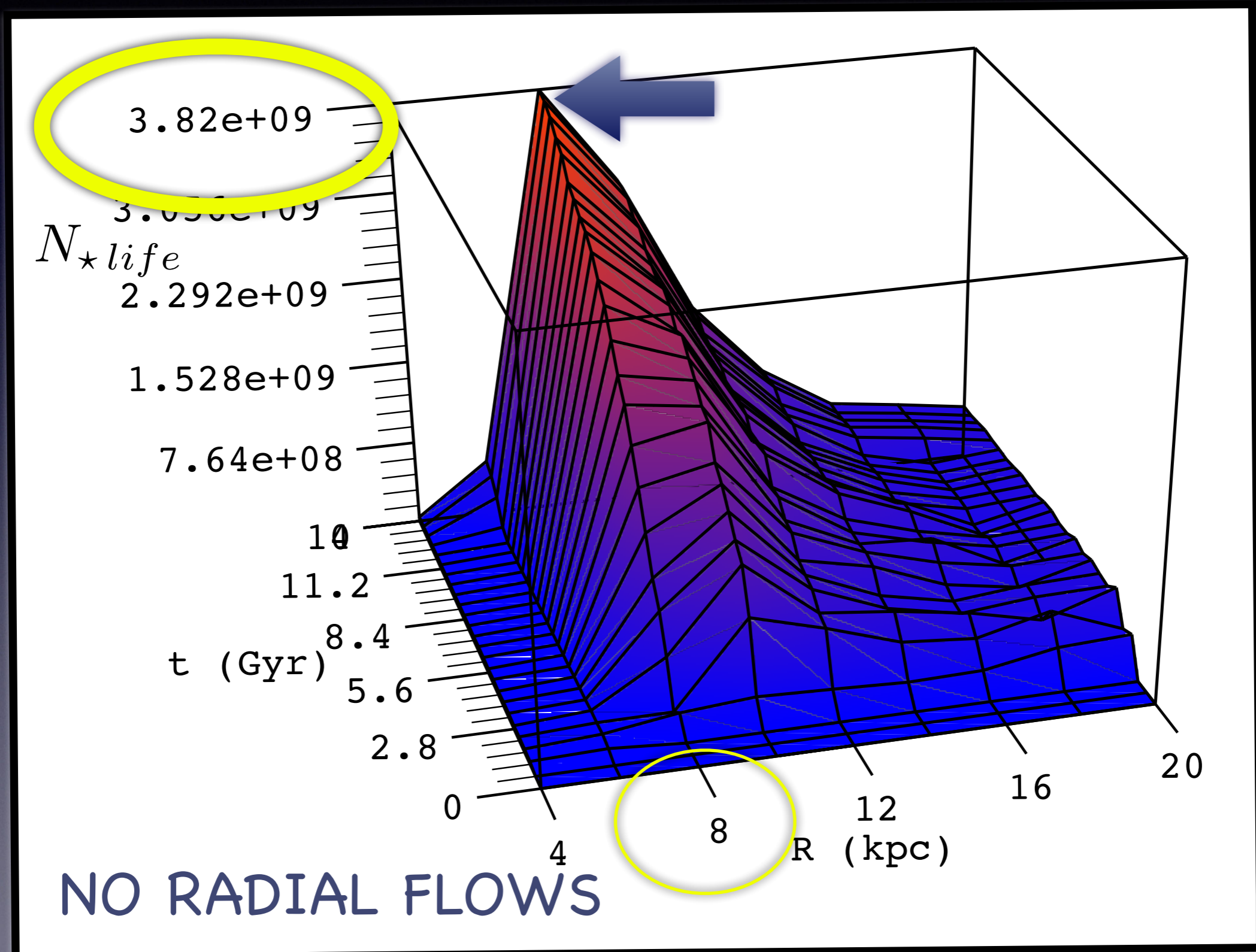
$$N_{\star life}(R, t) = P_{GHZ}(R, t) \times N_{\star tot}(R, t)$$

# The number of stars hosting habitable Earth-like planets in the Milky Way (with SN destruction effects)



NO RADIAL FLOWS

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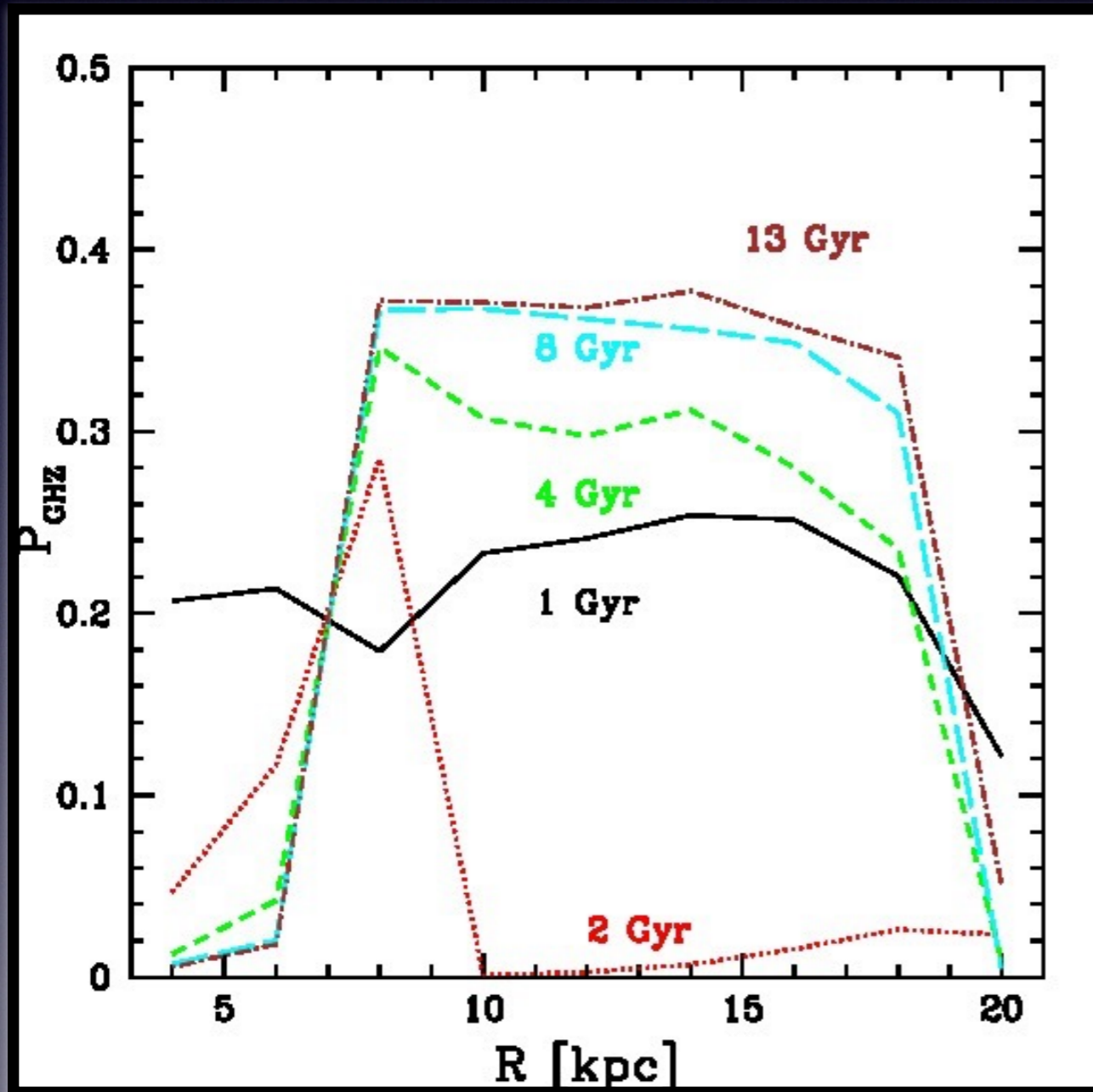


# GHZ RESULTS II)

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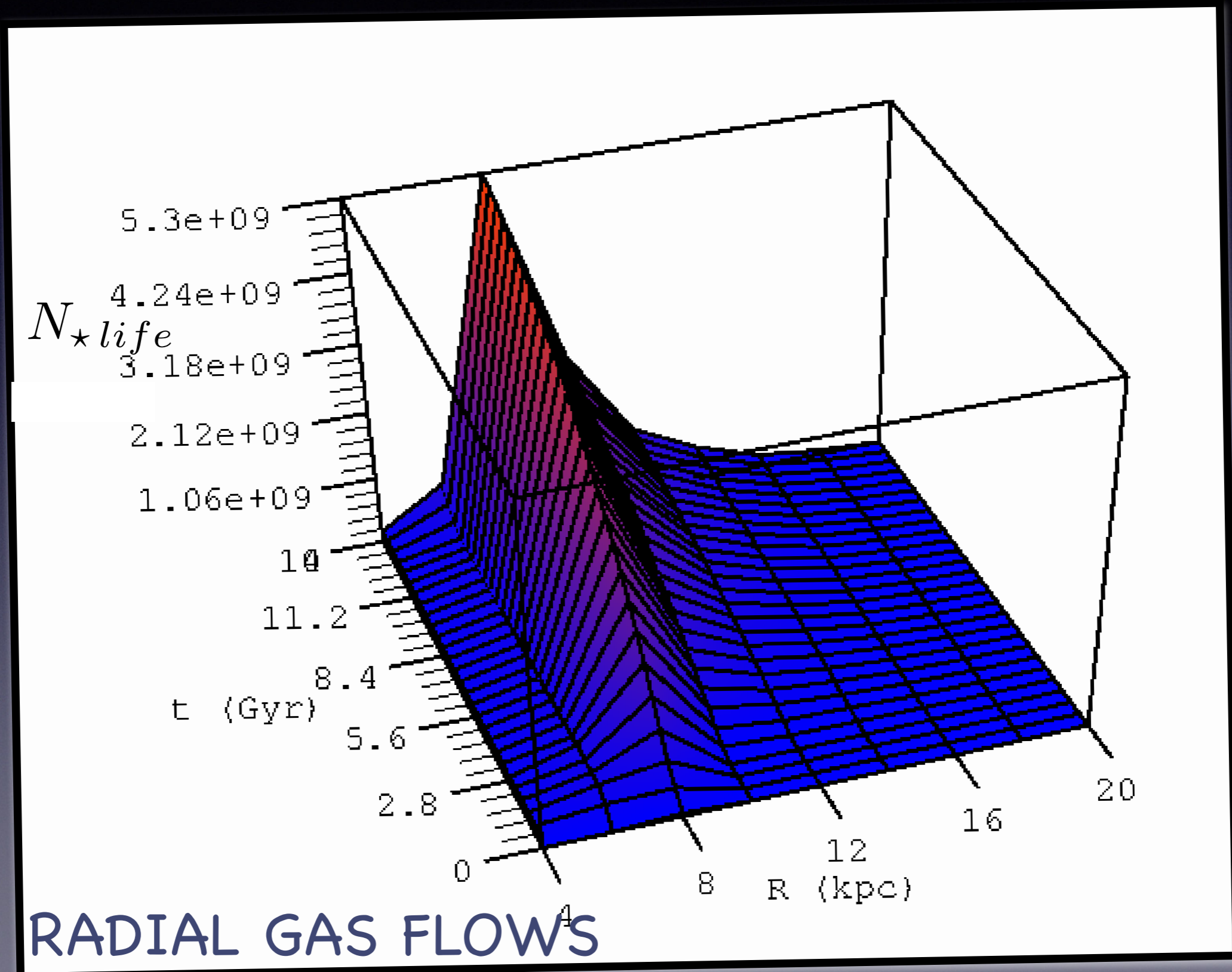
Chemical evolution models  
with radial gas flows

# The $P_{\text{GHz}}$ quantity for the model with radial gas flows

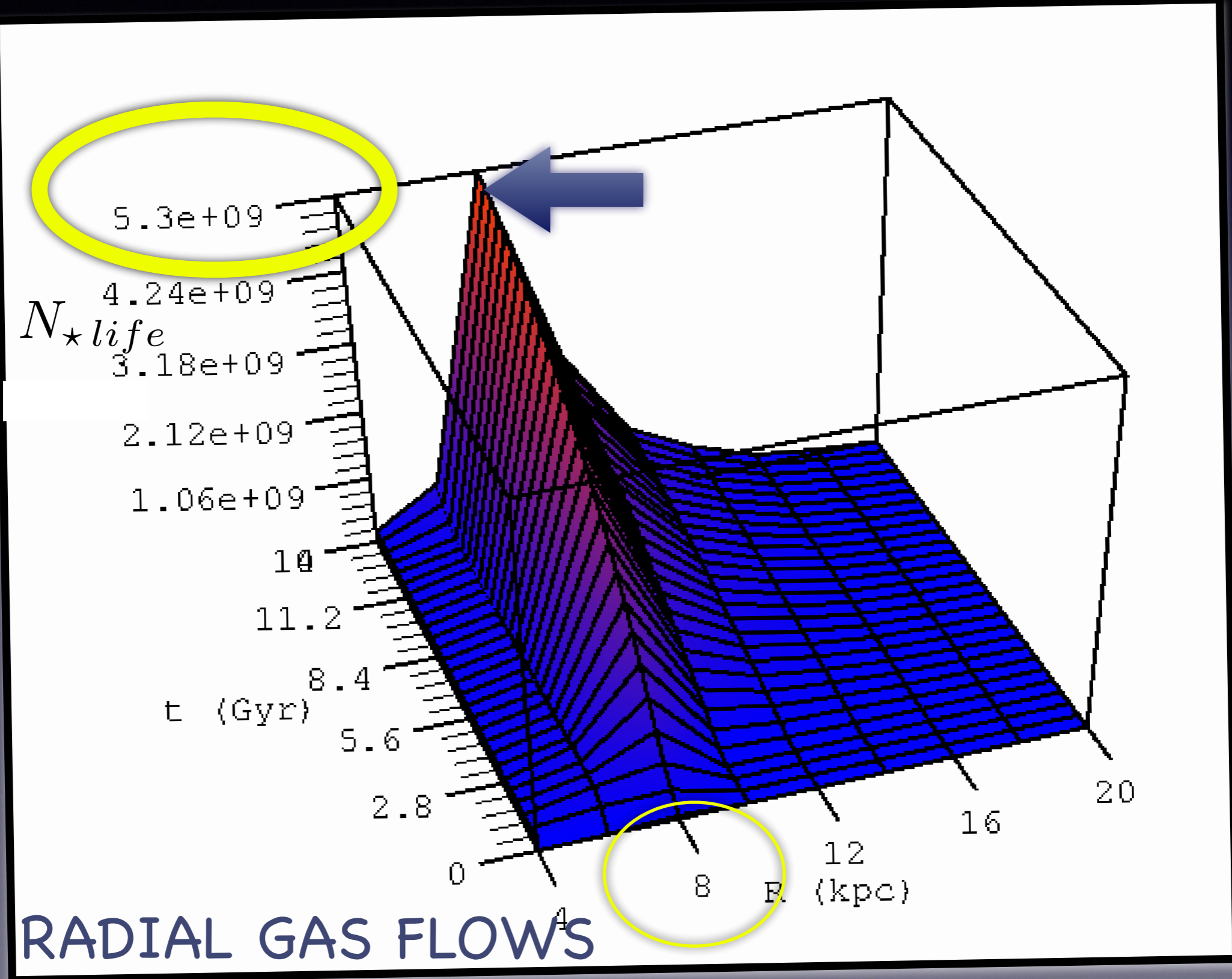


Model with SN  
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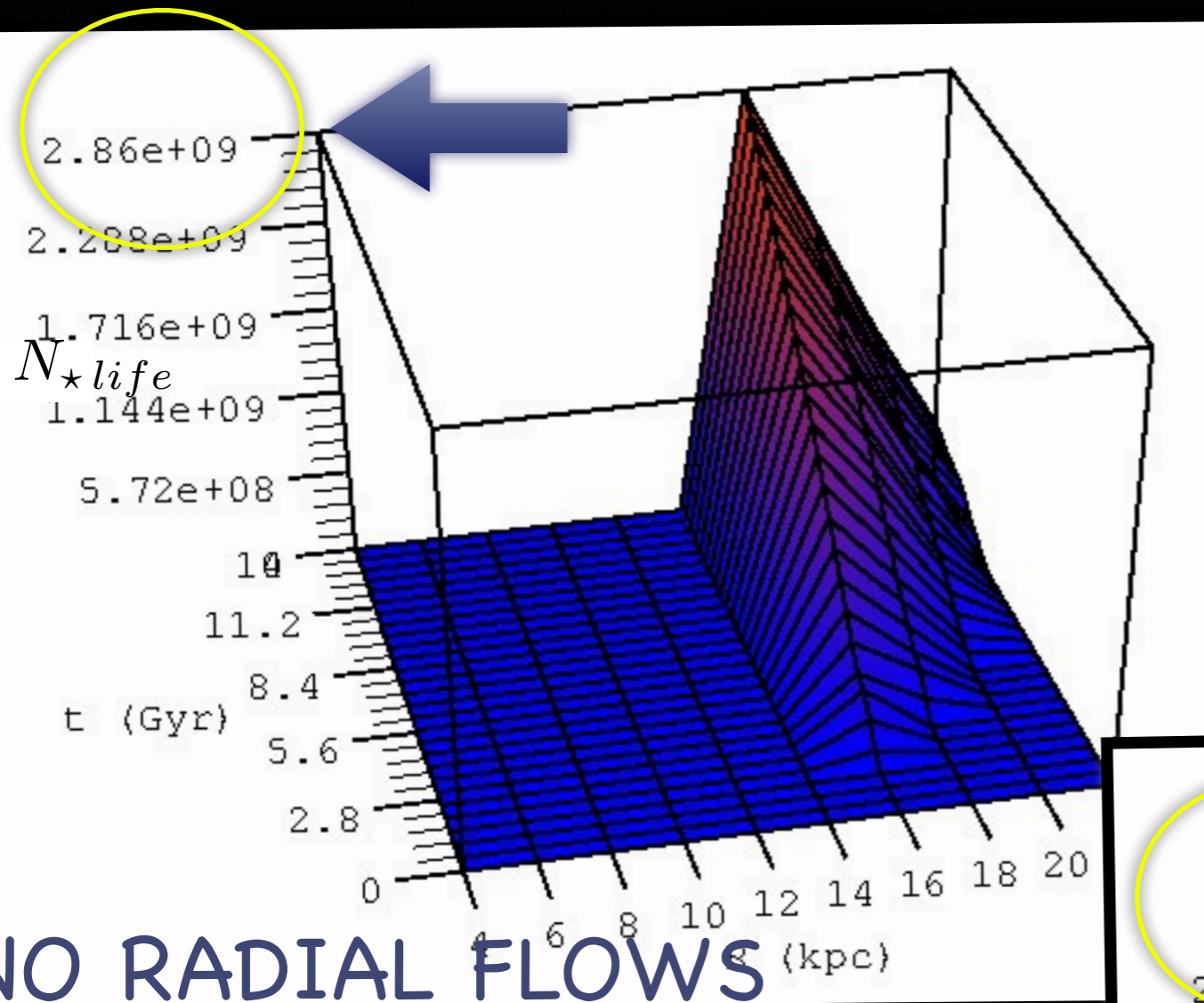


# Conclusions

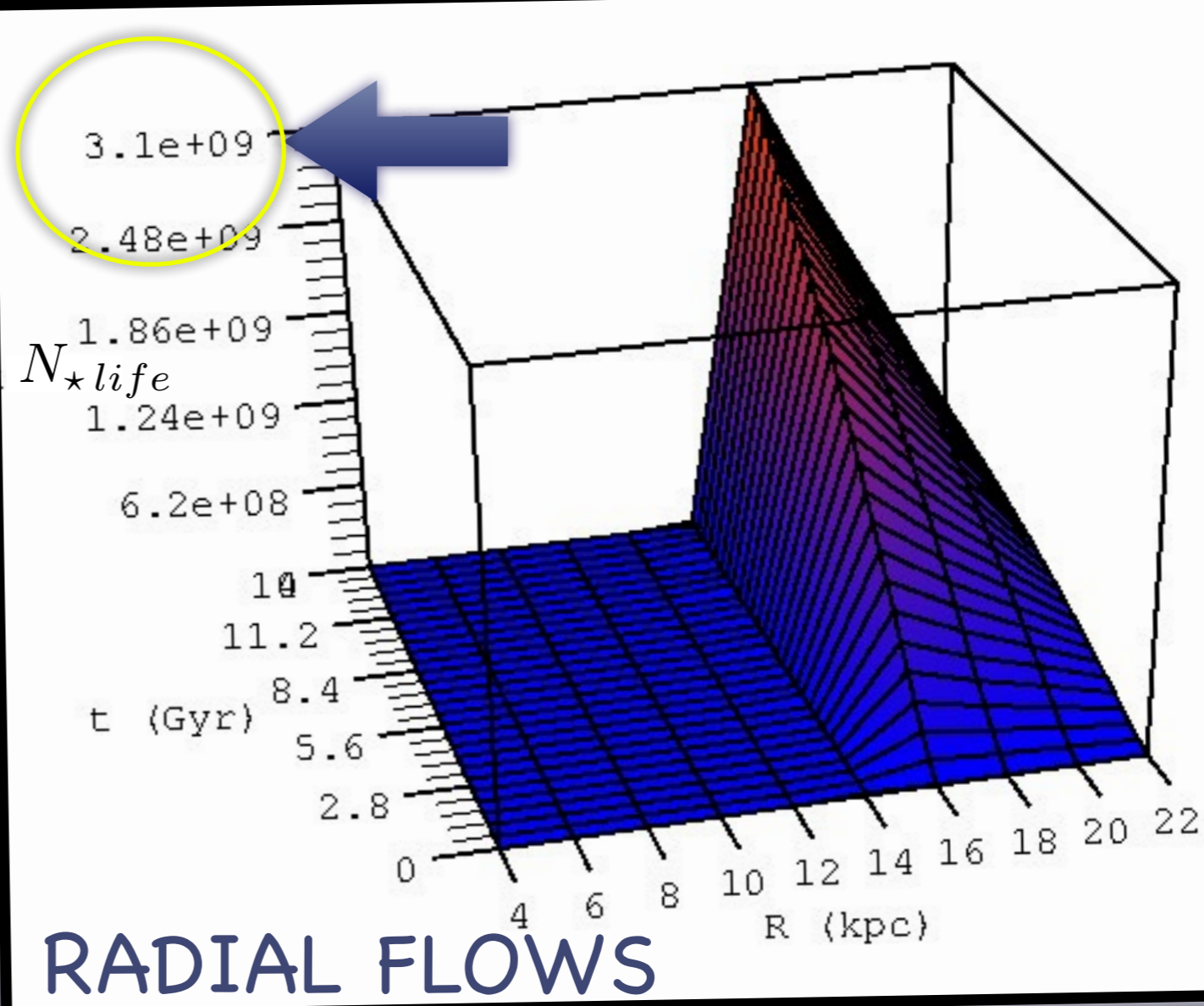
- The effect of the gas radial inflows is to enhance the number of stars hosting a habitable planet with respect to the “classical” model results in the region of maximum probability for this occurrence.
- At the present time, the maximum number of host stars is centered at 8 kpc, and the total number of host stars is increased by 38 % compared to the “classical” model results.

GHZ RESULTS.....

M31



The number of stars hosting habitable Earth-like planets in Andromeda



At the present time at 8 kpc  $N_{\star life}$  is increased by 10 % compared to the "classical" model